CSC148-Section:L0301 Week#2-Monday

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Office hours: Wednesday 11-1, BA2230.

Slides adapted from Professor Danny Heap and Jacqueline Smith slides winter17



Announcements

- Again Make sure your teach.cs account works
- If you are unable to complete a lab/tutorial for any reason, please contact us as soon as possible so that we can come to alternative arrangements.
 - Fill the form Special consideration
 - http://www.cdf.utoronto.ca/~csc148h/winter/specialConsideration.t
 xt
 - Submit supporting documentation, together with this form, as an email: csc14818s@cs.toronto.edu
- Assignment # 1 is posted due 30th Jan.
- Lab #2 is posted



Outline

- Intro: Inheritance vs Composition
- Finalize Rational class
 - Managing attributes
 - Testing methods individually
 - float and ___eq__ __lt____
 - special (aka magic)methods



Intro: Inheritance vs Composition

Composition

- Making use of other data types or objects of other classes
- E.g.
 - Point class uses objects of type float (x, y)
 - Rational class uses objects type int (num, denum)
 - Later we will build Square class using objects of type Point and Turtle

Inheritance

- A subclass inherits all attributes and methods (behavior) from superclass.
 Why?
 - to reuse code of existing class
- A subclass can extend, overload attributes and methods for a supercalss
- Subclass can be called child class
- Supper class can be called parent class



Example:

Son subclass is extending the attributes of Father

Son subclass is overriding m1() of Father

```
class Father:
                          Super class
    x: int = 10
                          Or
    y: int = 20
                          Parent class
    def m1(self) -> None:
      print('Father m1')
    def m2(self) -> None:
        print('Father m2')
class Son(Father):
                           subclass
    z: int = 30
                           Or
    def m1(self) -> None: child class
        print('Son m1')
class Daughter (Father):
                             subclass
    z: int = 30
                             Or
                             child class
    def m1(self) -> None:
        print('Daughter m1')
f=Father()
s = Son()
f.m1()
s.m1()
s.m2()
```

```
>>> from inheritance import *
Father m1
Kon m1
 Father m2
 >>> f=Father()
 >>> s = Son()
 >>> d=Daughter()
 >>> f.m1()
 Father m1
 >>> s.m1()
 Son m1
 >>> d.m1()
 Daughter m1
 >>> d.x
 10
 >>> d.y
 20
 >>> s.x
 10
 >>> s.y
 20
 >>> s.m2()
 Father m2
```

Exercise: build Rational class

Here is a description of rational numbers, the fractions we learned in grade school:

Rational numbers are ratios of two integers p/q, where p is called the numerator and q is called the denominator. The denominator q is non-zero. Operations on rationals include addition, multiplication, and comparisons: >, <, \geq , \leq , =.

Exercise: build Rational class

Rational

• num: int

• denum: int



Special (aka magic)methods

• Python recognizes the names of special methods such as: __init___ , __eq__ , __ add___ , and __mul __ and They have short-cuts (aliases) for them. E.g.: eq aliased with == and in add aliased with + mul aliased with * lt aliased with < and allows sort() and sorted() methods to work</pre> suppose you create a list of Rational, and then want to sort it, or check to see whether an equivalent element is in <a>It It and friends...

- For a full list of them check Python documentation:
 - https://docs.python.org/3/reference/datamodel.html#special-method-name



___eq__ aliased with in

```
>>> from rational_api_imp import *
>>> L=[Rational(1,2), Rational(5,3)]
>>> r=Rational(1,2)
>>> r in L
True
>>> L=[Rational(2,4),Rational(4,4)]
>>> r in L
True
```



float and eq

```
try this example with the __eq_ implementation that uses division.
>> r4 = Rational(1, 3)
>>> r5 = Rational(10000000000000001, 30000000000000000)
>>> r4 == r5
or just try to do the division in console like:
True
then Use the console to see what is the float value for 1/3
>>>1/3
0.3333333333333333
0.3333333333333333
```

due to rounding, we end up having the same result for two different rational numbers.

```
lt
```

n1*d2 < n2*d1 will not work if d2 is negative

e.g. 1/-4< 1/2 should be **True**

Using the above implementation:

1*2 < 1*-4 will return False

As a solution we can change < to > when we have negative numbers using Funcational-IF in Python

<exp1> If <condition> else <exp2>

If condition is True exp1 is evaluated if condition is False exp2 is evaluated

Solution will be:

n1*d2 < n2*d1 if d1*d2>0 else n1*d2 > n2*d1



†

```
def lt (self, other: Any) -> bool:
    Return whether Rational self is less than other.
    >>> Rational(3, 5). It (Rational(4, 7))
    False
    >>> Rational(3, 5). It (Rational(5, 7))
    True
    >>> Rational(1, 2). It (Rational(3, 6))
    False
    >>> Rational(1, 2). It (Rational(1, -4))
    False
    >>> Rational(1, -4). It (Rational(1, 2))
   True
    11 11 11
    # return self.num * other.denum < other.num * self.denum
    # return self.num / self.denum < other.num / other.denum # wrong do not use it
    return (self.num * other.denum < other.num * self.denum
            if self.denum * other.denum > 0
            else self.num * other.denum > other.num * self.denum )
```



___lt ___

Another way is to use this:

$$\frac{n1*d2}{d1*d2} < \frac{n2*d1}{d1*d2}$$

Will float approximation generate errors?

Referring to Rational class

- In method headers use quotations
 - E.g.

```
def __mul__ (self, other: 'Rational') -> 'Rational':
```

In method or docstrings boy do not

```
"""
Return the product of Rational self and Rational other.
>>> print(Rational(3, 5).__mul__(Rational(4, 7)))
12 / 35
"""
return Rational(self.num * other.num, self.denum * other.denum)
```



__repr__

Called when in console

<rational_api_imp.Rational object at 0x000001E345107630>

To get something readable implement __repr__

- Lazy way by just return self.__str__()
- Return a string looks like
 - <rational_api_imp.Rational 2/12 >



__repr__ (Lazy way) ©

```
def repr (self) -> str:
    11 11 11
    Return a string representation of Rational self.
    >>> r1=Rational(1,2)
    >>> r2=Rational(2,6)
    >>> r1*r2
    2 / 12
    11 11 11
    return self. str ()
```

Managing attributes in Python What if user put denum=0

- Python provides 3 Ways to handle wrong input
 - 1. docstrings -- will use
 - 2. assert
 - 3. properties



1-Docstrings

- Warn the user about wrong input values in
- Class docstrings
- __init__ docstrings
- If a user put
- 0 in denum it is his fault

```
class Rational:
    A rational number
    num - numerator
    denum - denominator denum must not be 0
    11 11 11
    num: int
    denum: int
   def init (self, z: int, q: int = 1) -> None:
        Create new Rational self with numerator num and
        denominator denom --- denom must not be 0.
        self.num = z
```

```
def __init__(self, num: int, denum: int) -> None:
    """

    Create new Rational self with numerator num and
    denominator denom --- denom must not be 0.
    """
    self.num = num
    self.denum = denum

assert self.denum!=0, "denum must not be 0"
```



• If you try to create rational with denum=0 you get error

```
Python 3.6.2 (v3.6.2:5fd33b5, Jul 8 2017, 04:57:36) [MSC v.1900 64 bit (AMD64
+>>> from rational_api_imp import *
>>> r2=Rational(2,0)
Traceback (most recent call last):
   File "<input>", line 1, in <module>
   File "D:\csc148\lectures\week1\rational api imp.py", line 20, in __init__
   assert self.denum!=0, "denum must not be 0"
AssertionError: denum must not be 0
```



What happens if do the following

```
+ >>> r1=Rational(2,2)
  >>> r2=Rational(2,4)
  >>> r2.denum=0
  >>> r2 < r1
  True
  >>> r2 == r1
  False
```

We need to put assert in every public method that uses denum

```
assert self.denum!=0, "denum must not be 0"
```

- OR to reuse your code:
 - 1- Create a new method that uses assert as follows:

```
def invariant(self) -> None:
    check if denum is zero
    11 11 11
    assert self.denum != 0, "denum must not be 0"
                           def mul (self, other: 'Rational') -> 'Rational':
```

2- call this method in all other public methods init

```
add
```

mult



```
Return the product of Rational self and Rational other.
>>> print(Rational(3, 5). mul (Rational(4, 7)))
12 / 35
>>> print(Rational(3, 5) * Rational(4, 7))
12 / 35
self. invariant()
other. invariant()
return Rational (self.num * other.num, self.denum * other.denum)
```

3-Property

- Python make public attributes directly accessible (no accessors, aka getters/setters) through class name or object name. e.g.:
 - Rational.num
 - r.num
- Other programming languages like Java have the concept of public an private attributes where private attributes can not be accessed by calling the attribute name they have to be called through special methods called getters and setters.
 - E.g.
 - In Java if you define attribute as private num
 - Then you can not use r.num to access it you must use r.get_num() where a get_num() is a method that returns num
- You can indicated that an attribute is private by placing under score () in front of its name like: num
 - This will not prevent users from accessing it by saying r._num but tells them that they should not because Python does not hide attributes and expects users to use them properly.
- Python solution is to use property to delegate the management of public attributes behind the scenes
 - 90% (about) you will not use it

3-Property

• Suppose that client code written by billions of developers uses Rational, but some of them complain that that class doesn't protect them from silly mistakes like supplying non-integers for the numerator or denominator, or even zero for the denominator. . .

After you have already shipped class Rational, you can write methods
 _get_num, _set _num, _ get _denom, and _set_denom, and then use
 property to have Python use these functions whenever it sees num or
 denom



Managing attributes in Python

- Python provides 3 Ways to handle wrong input
 - 1. Docstrings -- you have to use it in this course
 - 2. Assert -- you have to use it in this course
 - 3. Properties optional
 - Read about it in the course notes
 - http://www.teach.cs.toronto.edu/~heap/148/W16/1 48notes.pdf

