

CSC104 fall 2012

Why and how of computing week 3

Danny Heap

heap@cs.toronto.edu

BA4270 (behind elevators)

<http://www.cdf.toronto.edu/~heap/104/F12/>

416-978-5899

Text: **Picturing Programs**

Outline

Representing information

Notes

Some convergence

1970s, 1980s

digital, binary, small, fast, cheap...

Computers have converged on two general design ideas:

digital: Using discrete, sharply-changing, rather than analog, smoothly-changing states

binary: Two states is the smallest, most easily designed

flash - not as fast ✓✓

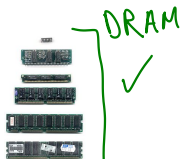
memory should be reliable
fast, and cheap

magnetic (left), transistor (right)

magnetic rings, arranged on



grid of wires

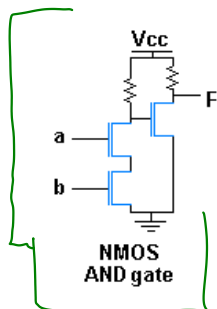


depend power source to support their state.

Boolean logic

simple operators

Two values, true and false can be combined:



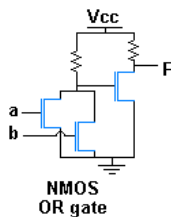
a	b	a and b
true	true	true
true	false	false
false	true	false
false	false	false

→ now semiconductor voltage changes it, insula from a conductor to an tor.

Boolean logic

more simple operators

Two values, true and false can be combined:



a	b	a or b
true	true	true
true	false	true
false	true	true
false	false	false



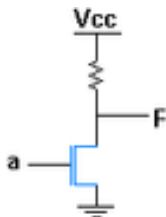
Boolean logic

one more simple operator

*NOR
(not (a or b))*

*NAND
(not (a and b))*

Single value, true or false can be transformed:



**NMOS
NOT gate**

a	not a
true	false
false	true

*all you need
for any logical
circuit
and
or
not*

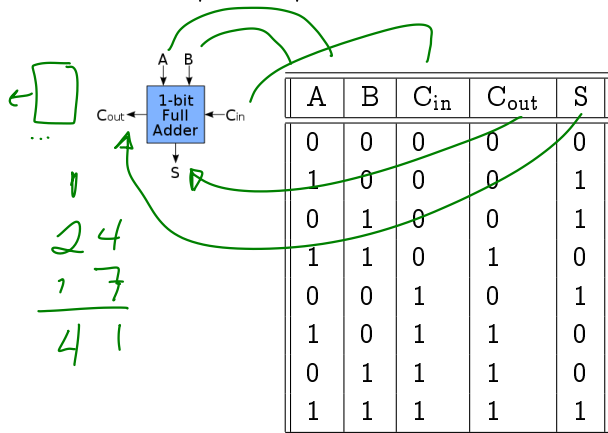
Boolean arithmetic

bitwise operator

full-adder

+	0	1
0	0	1
1	1	0

Two values, 0 or 1, can be combined:



1
24
17

41

00
100
+ 001

01

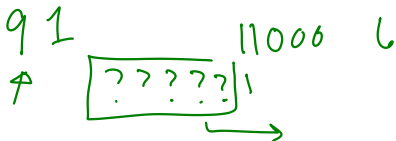
1100
+ 1100

1100

(5)₁₀
(7)₁₀
12₁₀

binary to decimal

... and back



Binary numbers are the same as decimal (base 10), only different:

5897 Multiply each digit by the appropriate power of 10

$$\begin{aligned}
 & \rightarrow 5 \times 10 \times 10 \times 10 \times 10 \approx 5 \times 10^3 + 7 \times 10^0 \\
 & + 8 \times 10 \times 10 \approx 8 \times 10^2 \\
 & + 9 \times 10 \approx 9 \times 10^1
 \end{aligned}$$

37 → 3.7

1011 Multiply each digit by the appropriate power of 2

$$\begin{aligned}
 & 1 \times 2 \times 2 \times 2 = 2^3 + 1 \cdot 2^0 = 8 + 2 + 1 \\
 & + 0 \times 2 \times 2 = 0 \cdot 2^2 = 0 \\
 & + 1 \times 2 = 1 \cdot 2^1 = 2 \\
 & = 11_{10}
 \end{aligned}$$

Convert 37 Write down the parity, find the quotient by 2, and repeat...

3700

$$\begin{array}{r}
 ????0 \times \\
 37 \\
 1 \oplus 37 \div 2 \quad 32 \quad 4 \quad 1 \\
 \hline
 100101 \\
 1 \leftarrow 2 \leftarrow 4^9
 \end{array}$$

Notes